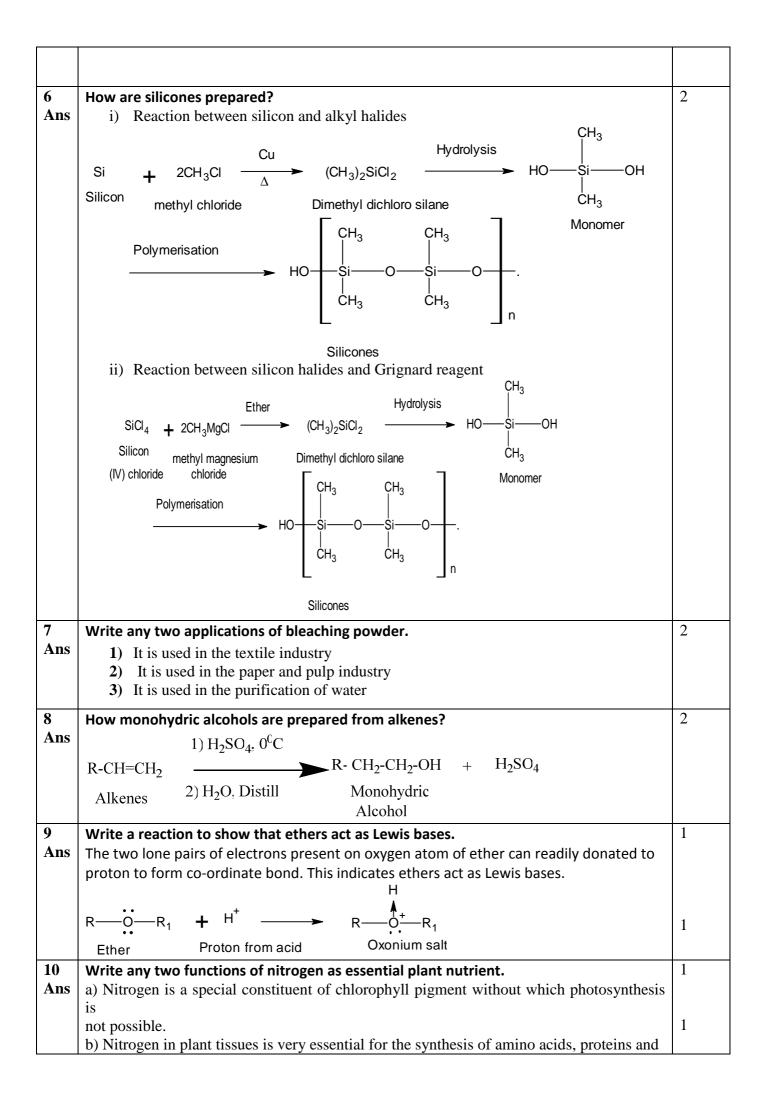
SCHEME OF VALUATION

PART – A

16)

Answer any eight of the follow	ing questions.	Each question c	arries two mai	:ks. $(8 \times 2 =$: (
This wer any eight of the follow	mg questions.	Luch question e	united two mu	$(0 \land 2 =$	

Qtn Nos	Model answers	Marks
1 .	Derive an expression of half-life period of second order reaction when a = b.	
Ans	Consider rate constant equation of a second order reaction $K = \frac{1}{t} [x/(a(a - x))]$ For half-life period, $t = \frac{t_1}{2}$, $x = \frac{1}{2}a = 0.5a$ $\therefore a - x = a - 0.5a = 0.5a$	1
	Substitute these values in above equation we get $K = 1/t_{\downarrow}(1/2) [0.5a/(a(0.5a))] = K = 1/t_{\downarrow}(1/2) [1/(a)]$ $\therefore t_{\frac{1}{2}} = \frac{1}{k.a}, i.e. \frac{t_{\frac{1}{2}}}{a} \alpha \frac{1}{a}$ Where K is proportional constant	1
2 Ans	State third law of thermodynamics. "A perfect crystalline substance at absolute zero temperature has a zero entropy" OR "Every substance has a finite positive entropy but at the absolute zero temperature, the entropy may become zero and does so in the case of pure crystalline substances.	2
3 Ans	Write the expression for weight average molecular weights of polymers. $ \frac{n_1 M_1^2 + n_2 M_2^2 + n_3 M_3^2 + \dots + n_1 M_1^2}{n_1 m_1 + n_1 m_1 + n_1 m_1 + \dots + n_1 m_i} O_{\text{R}} \overline{M_W} = \frac{n_i M \sum_{i=1}^2 m_i M_i}{\sum_{i=1}^2 m_i m_i} $	2
4 Ans	What is an adsorption indicator? Give an example. An indicator used in solutions to detect slight excess of a substance or ion, precipitate beco mes coloured when the indicator is adsorbed. Example: fluorescein	2
5 Ans	Write the structure of diborane. $SP^2 - S$ H H H H H $SP^2 - S$ $SP^2 - S$ $SP^2 - S$ $SP^2 - S$ $SP^2 - S$ $SP^2 - S$ $SP^2 - S$	2



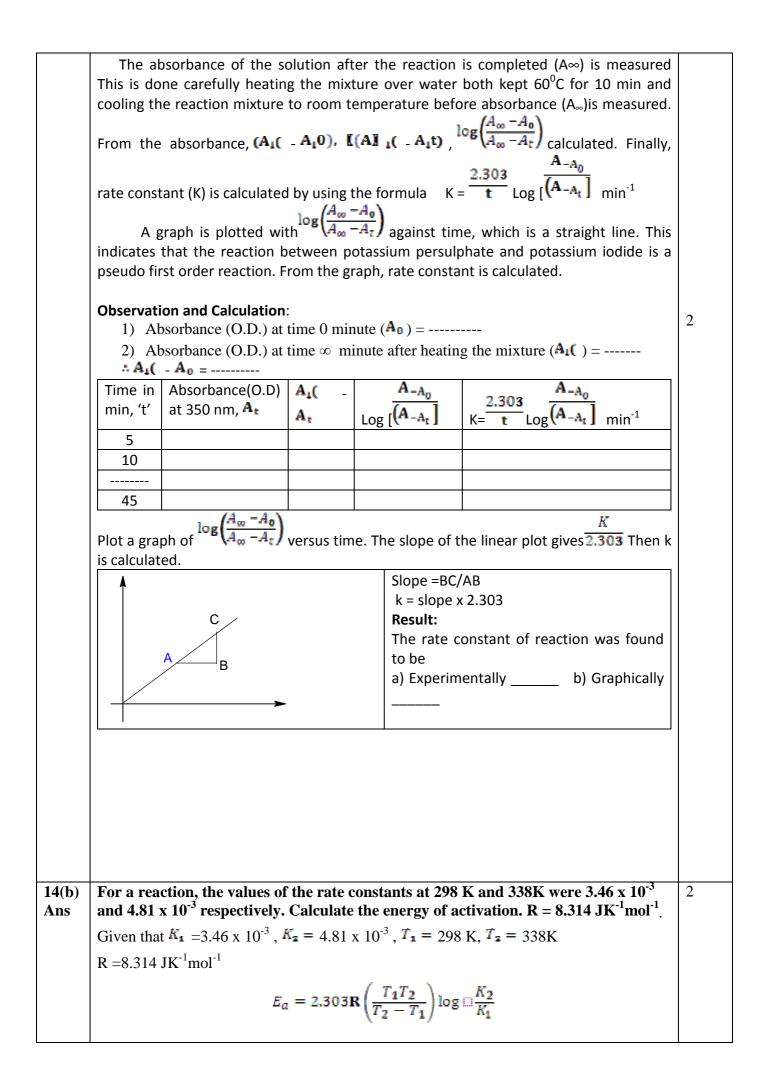
	enzymes.c) The proteins thus synthesized from a part of protoplasm & enzymes are needed for biochemical reactions in plant cells.	
11	How is methyl lithium converted into ethanoic acid?	2
Ans	Carbonation of methyl lithium leads to ethanoic acid.	
	H ₃ C—Li + CO ₂ \longrightarrow CH ₃ COOLi $\stackrel{\text{H}^+/\text{H}_2\text{O}}{\longrightarrow}$ CH ₃ COOH Methyl lithium Carbon Lithium acetate Ethanoic acid dioxide	
12 Ans	What are Grignard reagents? Give an example Alkyl magnesium halides(R – Mg – X) are called Grignard reagent.	1
	Example: Ethyl magnesium bromide(C ₂ H ₅ MgBr), Phenyl magnesium chloride(C ₆ H ₅ MgCl)	1

PART - B

Answer any NINE of the following questions. Each question carries six marks (9 x 6 = 54)

13(a)	Derive an expression for velocity constant of second order reaction with a \neq b.	
Ans	Consider a second order reaction	
	A + B	1
	The rate of the above reaction is determined by change in concentration of reactants A and B.	1
	i.e. $\frac{dx}{dt} = K[A][B]$ (1)	
	Let 'a' mole dm ⁻³ be the initial concentration of the reactant 'A' and 'b' mole dm ⁻³ be the initial concentration of the reactant 'B'. After an interval of time 't', let 'x' mole dm ⁻³ of each reactant A and B be the consumed to form the products. i.e. $[A] = a-x$, $[B] = b-x$. The rate of formation of products is given by the concentration of the reactant at that	
	instant is $\frac{dx}{dt} = K(a - x)(b - x) \qquad \text{i.e.} \frac{dx}{(a - x)(b - x)} = Kdt \qquad \dots $	1
	Taking LCM $(a - x)(b - x)$ on both side $\frac{1}{(a - x)(b - x)} = \frac{P(b - x) + Q(a - x)}{(a - x)(b - x)}$	
	P(b - x) + Q(a - x) = 1 Put $(b - x) = 0 \Rightarrow b = x$ then $Q = \frac{1}{(a - b)}$	
	And put $(a - x) = 0 \Rightarrow a = x$ then $P = \overline{(a - b)}$ $\therefore \frac{1}{(a - x)(b - x)} = \frac{-\left(\frac{1}{(a - b)}\right)(b - x) + \frac{1}{(a - b)}(a - x)}{(a - x)(b - x)}$ $\frac{1}{(a - x)(b - x)} = \frac{1}{(a - b)} \left[\frac{(a - x) - (b - x)}{(a - x)(b - x)}\right]$	2
	$\frac{1}{(a-x)(b-x)} = \frac{1}{(a-b)} \begin{bmatrix} \frac{(a-x)}{(b-x)} \\ (a-x)(b-x) \end{bmatrix}$ $= \frac{1}{(a-b)} \begin{bmatrix} \frac{1}{(b-x)} & \frac{1}{(a-x)} \end{bmatrix}$	
	Substitute this value in equation (2)	

	1 1 1	
	$\overline{(a-b)} [\overline{(b-x)} - \overline{(a-x)}] dx = Kdt$	
	Integrating both sides	
	$\int \frac{1}{(a-b)} \left[\frac{1}{(b-x)} - \frac{1}{(a-x)} \right] dx = \int dt$	
	$\frac{1}{(a-b)}\int \frac{1}{(b-x)}dx - \int \frac{1}{(a-x)}dx = K \int dt$	
	1	
	$\overline{(a-b)} \left[-\ln(b-x) - (-)\ln(a-x) \right] = kt + c$	
	where 'c' is constant called integrating constant.	
	$\frac{1}{(a-b)} \left[-\ln(b-x) + \ln(a-x) \right] = kt + c$	
	$\frac{1}{(a-b)}\ln\frac{(a-x)}{(b-x)} = kt + c $	
	At start of the reaction, time t= 0 and x =0	
	Then, the equation (3) becomes	
	$\frac{1}{(1-1)^2} \ln \frac{a}{b}$	
	$\frac{1}{(a-b)} \ln \frac{a}{b} = c$ substitutes this value in equation (3) we get	
	$\frac{1}{(a-b)}\ln\frac{(a-x)}{(b-x)} = kt + \frac{1}{(a-b)}\ln\frac{a}{b}$	
	kt = $\frac{1}{(a-b)} \ln \frac{(a-x)}{(b-x)}$ - $\frac{1}{(a-b)} \ln \frac{a}{b}$ =	
	$1/((a - b))[\ln [((a - x))/((b - x))] - \ln [a/b]]$ by logarithm property	
	kt = $1/((a-b))[\ln [(b(a-x))/a(b-x)]]$ or k =	
	$1/(a-b)t \ln [[(b(a-x))/a(b-x)]]$	
	: $k = 2.303/(a - b)t \log [[(b(a - x))/a(b - x)]]$	
	This equation is the expression for rate (velocity) constant of a second order reaction	
	with a $\neq b$	
13(b)	Write any two limitations of collision theory	2
Ans	1) This theory fails to explain the low value of steric factor P	
	2) It is applicable to gaseous reactions only.	
	3) This theory fails to explain the contributions of rotational energy and vibrational	
	energy.	
	4) This theory fails to explain K value for complex reactions.	
14(a) Ans	Explain the experimental determination for velocity constant of a reaction between potassium persulphate and potassium iodide by spectrophotometric method.	2
	Consider a reaction	
	$K_2S_2O_8 + KI \longrightarrow K_2SO_4 + I_2$	
	This reaction is a second order reaction (first order w. r. t. each reactant). The reaction	
	can be made to follow first order kinetics by maintaining the concentration of KI in large	
	excess.	
	In this experiment the rate of $K_2S_2O_8$ and KI reaction is followed spectrophotometrically	
	under first order kinetic conditions.	
	Procedure: The Spetrophotometer is set with distilled water to read 0.00 absorbance at 250 mm $= 0.002$ M colution of K S O (100 cm ³) and 0.02 M KI (100 cm ³) are propared and	
	350nm. 0.002M solution of $K_2S_2O_8$ (100 cm ³) and 0.02M KI (100 cm ³) are prepared and equal volumes of $K_2S_2O_8$ and KI (10 cm ³ + 10 cm ³) are mixed. The stop clock is started.	
	The reaction mixture is immediately transferred into a cuvette. The absorbance (A) of I_2	
	liberated after mixing is measured as a function of time up to 45 minutes at 5 min	
	intervals at wavelength 350 nm. Let ' A_0 ' represent the absorbance at zero time and A_t	
	after a time interval 't'.	



	$E_a = 2.303 \text{X8.314} \left(\frac{298 \times 338}{338 - 298}\right) \log \Box \frac{4.81 \times 10^{-3}}{3.46 \times 10^{-3}}$	
	$\dot{E}_{a} = 103.327 \text{KJ mol}^{-1}$	
15(a) Ans	Derive Kirchoff's equation. Making use of first law of thermodynamics, Kirchhoff in 1858 deduced mathematical expressions to define the variation of heat of reaction with temperature. The enthalpies of reaction i.e. dH, generally vary with temperature. The exact influence of temperature can be worked out as follows	2
	Consider a simple reaction, A B	
	$T_{1} \xrightarrow{A} \xrightarrow{A} \xrightarrow{A} \xrightarrow{A} \xrightarrow{A} \xrightarrow{A} \xrightarrow{A} A$	
	The reaction is then allowed to proceed at temperature T_2 . In this case, heat absorbed in the first step $C_p(T_2 - T_1)$ where C_p is the mean molar heat capacity of the reactants, and heat change accompanying the reaction at T_2 is dH ₂ . The total heat change accompanying the above process is dH $_2+C_p(T_2 - T_1)$ In both the cases, the reactant A at temperature T_1 is changed to product B at temperature T_2 , Obviously the two energy changes must be equal. dH $_1+C'_p(T_2 - T_1) = dH_2+C_p(T_2 - T_1)$ or dH $_2 - dH_1 = C'_p(T_2 - T_1) - C_p(T_2 - T_1)$	
	$= (C'_{p} - C_{p}) (T_{2} - T_{1})$ $= (C'_{p} - C_{p}) (T_{2} - T_{1})$ $= dC_{p}$ $= dC_{p}$ dC_{p} is the difference in the molar heat capacities of the products and reactants at	2
	constant pressure. dH_2 and dH_1 are the changes in enthalpies of the reaction at temperatures T ₂ and T ₁ respectively. $dH_2 - dH_1 = dC_P(T_2 - T_1)$	
	The above equation is known as Kirchhoff's equation. Similarly, at constant volume, $dU_2 - dU_1 = dC_V(T_2 - T_1)$ OR	
	Consider a simple reaction, $A \longrightarrow B$ Where A is the reactant giving the product B. The enthalpy change of the reaction, $\Delta H=H_P-H_R=H_A-H_B$ Differentiating the above equation with respect to temperature, keeping pressure constant we have,	
	$\left(\frac{\partial(\Delta H)}{\partial T}\right)_{p} = \left(\frac{\partial(H_{B})}{\partial T}\right)_{p} - \left(\frac{\partial(H_{A})}{\partial T}\right)_{p}$	

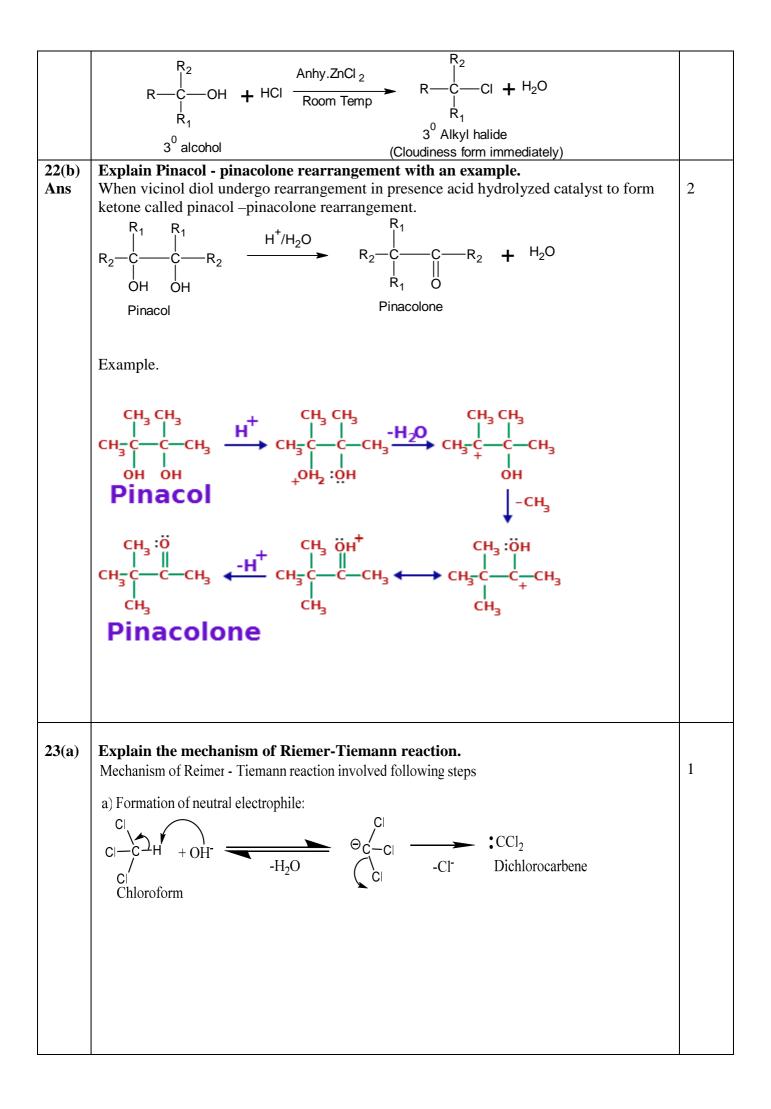
Since $\left(\frac{\partial(H)}{\partial T}\right)_{P} = C_{P}$ = Molar heat capacity at constant pressure $:: \left(\frac{\partial(\Delta H)}{\partial T}\right)_{P} = (C_{P})_{B} : (C_{P})_{A} = \Delta C_{P}$ $\partial(\Delta H) = \Delta C_p \partial T$ Integrating both side with limits of enthalpy H_1 to H_2 and temperature T_1 to T_2 $\int_{H_1}^{H_2} \partial(\Delta H) = \int_T^{T_2} \Delta C_P \partial T$ $\Delta H_2 = \Delta H_1 = \Delta C_1 P (T_1(2) = T_1(1)) \dots (1)$ Assuming ΔC_P to be constant over this range of temperature Similarly, the internal energy change of the reaction, $\Delta U = U_P - U_R = U_A - U_B$ Differentiating the above equation with respect to temperature, keeping volume constant we have, $\left(\frac{\partial(\Delta U)}{\partial T}\right)_{U} = \left(\frac{\partial(U_{B})}{\partial T}\right)_{U} - \left(\frac{\partial(U_{A})}{\partial T}\right)_{U}$ Since $\left(\frac{\partial(U)}{\partial T}\right)_{V} = C_{V}$ = Molar heat capacity at constant volume $\therefore \left(\frac{\partial (\Delta U)}{\partial T} \right)_{V} = (C_{V})_{\mathcal{B}} \quad (C_{V})_{\mathcal{A}} = \Delta C_{V}$ $\partial (\Delta U) = \Delta C_V \partial T$ Integrating both side with limits of enthalpy U_1 to U_2 and temperature T_1 to T_2 $\int_{U}^{U_{2}} \partial(\Delta U) = \int_{T}^{T_{2}} \Delta C_{V} \partial T$ $\Delta U_2 - \Delta U_1 = \Delta C_1 V (T_1(2) - T_1(1)) \dots (2)$ Assuming ΔC_V to be constant over this range of temperature Equations (1) and (2) are called Kirchhoff's equations. 15(b) What are spontaneous processes? Give an example. 2 Those processes which take place on their own without any external help or assistance Ans. are called spontaneous processes. Example, flowing of water from higher level to lower level, burning of candle, ice melting into water, radio isotope decay, rusting of iron etc. 16(a) Derive an expression of work done in the reversible isothermal expansion of an ideal gas. Ans In isothermal process, the temperature remains constant during the entire operation. Consider an ideal gas contained in a cylinder fitted with a frictionless weightless piston 2 placed in a thermostat. Let the pressure of the gas be P. During expansion let the external pressure be reduced by a very small quantity dp and let the volume change during reversible expansion be dv. The work done, W by the gas in the reversible expansion is given by W = -(P - dP)dV = -PdV + dP.dVdP.dV being the product of two very small quantities, is extremely small and can be neglected. ThusW = - PdV Total work done W by the gas, when the volume changes from V_1 to V_2 is then given by $\int_{V_*}^{V_2} W = -\int_{V_*}^{V_2} P dV$ Then For one mole of ideal gas PV = RT under reversible conditions so that $P = \frac{RT}{V}$ 2

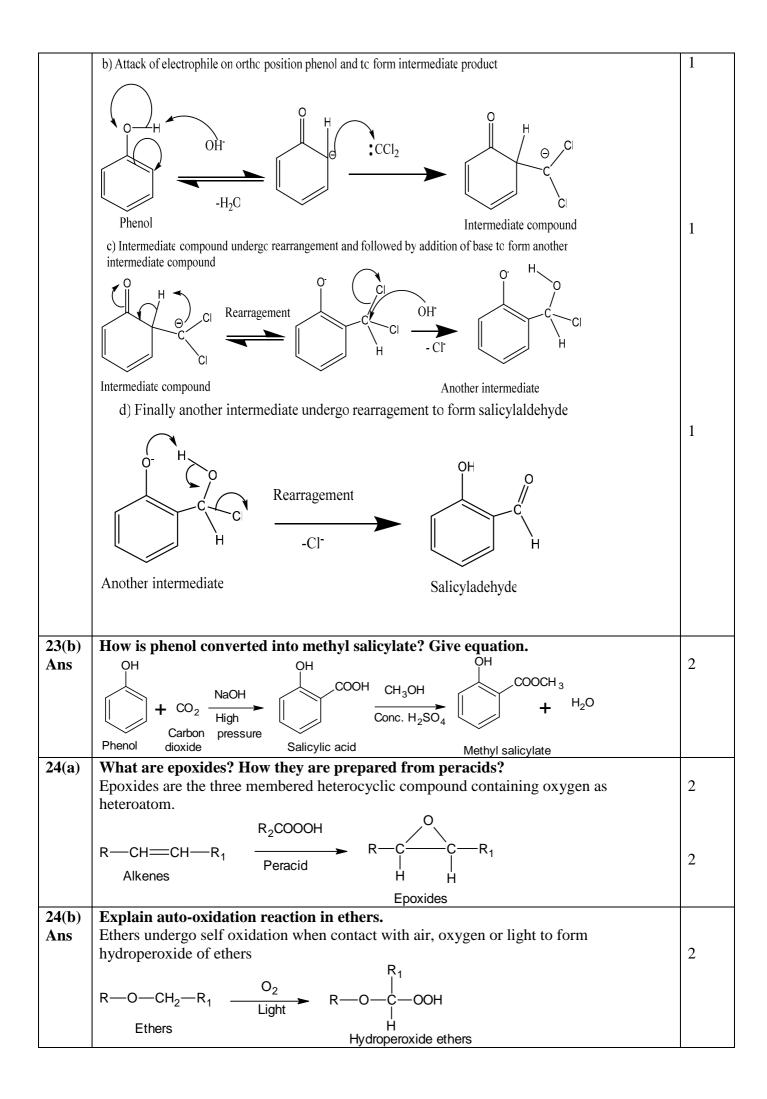
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	Now $-\int_{V_{a}}^{V_{a}} \dot{P} dV = -\int_{V_{a}}^{V_{a}} \frac{RT}{V} dV = -\dot{R}T \int_{V_{a}}^{V_{a}} \frac{1}{V} dV$	
	i.e. $W = -RT ln \frac{V_2}{V_1} = W = -2.203 RT log \frac{V_2}{V_1}$	
	$W = -2.203 n RT \log \frac{V_2}{V_1}$ For n moles of an ideal gas :	
	At constant temperature $P_1V_1 = P_2V_2$ from Boyle's law $\therefore \frac{V_2}{V_1} = \frac{P_1}{P_1}$	
	$\therefore \frac{V_2}{V_1} = \frac{P_1}{P_2}$ $\therefore W = -2.203nRT\log \frac{P_1}{P_2} Or W = -2.203nRT\log \frac{P_2}{P_1}$	
	This expression is called expression for work done in reversible isothermal expansion.	
16(b) Ans	Explain the change in entropy during fusion of solid. The ratio of change in enthalpy of fusion to the melting point of the solid in a solid liquid equilibrium reaction is called "The change in entropy during fusion of solid" ΔH_f	2
	i.e. $\Delta S = \frac{\Delta H_f}{T_f}$	
17(a)	Derive Van't Hoff's reaction isochore.	
17(a) Ans		
Alls	Expression for variation of equilibrium constant with temperature can be derived from Gibbs –Helmholtz equation.	
	$\Delta G^{0} = \Delta H^{0} - T \Delta S^{0} \text{And also } \Delta G^{0} = - \operatorname{RT} \ln \frac{K_{P}}{P_{0}}$	
	$\frac{\therefore -\mathbf{RT}\ln K_P}{P_0} = \Delta H^0 - T\Delta S^0$	2
	$\frac{\ln K_P}{P_0} = -\frac{\Delta H^0}{RT} + \frac{\Delta S^0}{R}$	
	P_0 is standard pressure which is 1 atmosphere	
	At temperature T_1 and T_2 if the equilibrium constants for the reaction be K_1 and K_2 then	
	$\ln K_1 = -\frac{\Delta H^0}{RT_1} + \frac{\Delta S^0}{R} \text{and} \ln K_2 = -\frac{\Delta H^0}{RT_2} + \frac{\Delta S^0}{R}$	
	ΔH and ΔS are assumed to remain essentially constant over the given temperature range and values of ΔH° and ΔS° may be used	
	$\ln K_2 - \ln K_1 = -\frac{\Delta H^0}{RT_2} + \frac{\Delta S^0}{R} - \frac{\Delta H^0}{RT_1} - \frac{\Delta S^0}{R}$	
	$\ln [K_{\downarrow}2/K_{\downarrow}1] = [\Delta H]^{\dagger}0/R(1/T_{\downarrow}1 - 1/T_{\downarrow}2)$	
	[log] $[K_12/K_11] = [\Delta H]^0/2.303R((T_12 - T_11)/(T_1T_12))$ This equation is called Van't Hoff isochore	
	OR	
	The relation $\left(\frac{\partial lnK}{\partial T}\right)_{V} = \frac{\Delta E^{\Box}}{RT^{2}\Box}$	

	It is called Van't Hoff isochore. It is used to calculate energies of reactions ΔE by measuring the variation of equilibrium constant K of a reversible reaction at absolute zero temperature. R is gas constant.	
	Derivation : K_c and K_p are related to each other as follows	
	$K_p = K_c (IRT) 1^{\uparrow} \Delta n $ (1)	
	Taking logarithm on both sides of eqn (1), we get	
	$LnK_p = Ln K_c + \Delta n \ln RT(2)$	
	Differentiating eqn (2) w.r.t. temperature, we get	
	$\left(\frac{dlnKp}{dT}\right) = \left(\frac{dlnKc}{dT}\right) + \frac{\Delta n}{T} = \frac{dlnKp}{dT} - \frac{\Delta n}{RT}$	2
	$\frac{\Delta H^{0}}{RT^{2}} - \frac{\Delta n RT}{RT X RT} = \frac{\Delta H^{0} - \Delta n RT}{RT^{2}}$	
	But, $\Delta H^{\circ} - \Delta n RT = \Delta E$	
	$\frac{dlnKc}{dT} = \frac{\Delta E^0}{RT^2}$	
17(b) Ans	The value of equilibrium constant for a reaction is 1.06×10^{-5} at 298 K. Calculate the standard free energy change for the reaction at 298 K. R = $8.314 \text{ JK}^{-1}\text{mol}^{-1}$.	2
	Given that $Kp = 1.06 \text{ x } 10^{-5}$, $T = 298K$, $R = 8.314 \text{ JK}^{-1}\text{mol}^{-1}$	
	$\Delta G^{\circ} = -2.303 \text{RT} \log K_P$	
	$= -2.303 \text{ x } 8.314 \text{ x } 298 \log 1.06 \text{ x} 10^{-5}$	
	= -28673.6J	
18(a)	Derive Langmuir Adsorption isotherm.	
Ans	Langmuir Equation depicts a relationship between the number of active sites of the surface undergoing adsorption (i.e. extent of adsorption) and pressure. If P be the pressure of the gas and θ is the surface coverage i.e. the fraction of the surface covered by the gas molecules. Then, $(1 - \theta)$ is the fraction of the total number of sites vacant and available for adsorption. \Rightarrow Rate of adsorption $\alpha (1 - \theta) \times P$ i.e. $R_a = K_a (1 - \theta) P$ (1) Where K_a is proportionality constant called adsorption constant And rate of desorption $\alpha \theta$ i.e. $R_d = K_d (\theta)$ (2) for desorption From the assumption, at equilibrium $R_a = R_d$, Equating equation 1 and 2, we get $K_a (1 - \theta) P = K_d \theta$ $K_d \theta = K_a P - K_a P \theta$ $(K_d + K_a P) \theta = K_a P$	4
	$\theta = \frac{K_a P}{K_a + K_a P}$ Divide this equation by K_a $\theta = \frac{\frac{K_a}{K_d} P}{\frac{K_d}{K_d} + \frac{K_{aP}}{K_d}}$	

	bP		
	$\theta = \frac{1}{1 + bP}$ This equation is called Lan	ngmuir adsorption of isotherm	
	Where $b = \frac{K_a}{K_a}$ is called langumuir's of	constant or adsorption co-efficient	
10(1)			
18(b) Ans	What is heterogeneous catalysis? Give In heterogeneous catalysis, the reactants a Examples:	-	2
	$C_2H_4(g) + H_2(g) \xrightarrow{Pt(s)} C_2H_6(g)$		
	$N_{2}(g) + 3H_{2}(g) \xrightarrow{Fe(s)/Mo(s)} 2NH_{3}(g)$ SO ₂ (g) +O ₂ (g) $\xrightarrow{V_{2}O_{5}(s)} 2SO_{3}(g)$)	
19(a)	Describe the extraction of nickel metal		
Ans	Pentlandite is the sulphide ore of Ni,Cu a		
	Nickel is extracted from pentlandite as for		
		otation process, the heavier gangue particles are	4
	removed.	pasted in a current of air when iron sulphide is	4
	converted into itsoxide but sulphides of n		
		d with coke and quartz and smelted in a blast	
		s iron silicate as slag. The heavier lower layer	
	contains sulphides of Ni, Cu with alittle of	•	
	iv) Bessemerization: The matte is hear	ted in a Bessemer converter where the matte is	
	heated in a blast of air, any un-oxidized I SiO_2 . FeO + $SiO_2 \rightarrow FeSiO_3$	FeS is converted into Fe which forms a slag with	
	The molten slag is skimmed off. The bes	ssemerized matte contains 56% Ni.	
	The bessemerized matte is roasted to get		
		uced by passing a current of water gas(CO+H ₂)	
	$2\text{NiO} + (\text{H}_2 + \text{CO}) \rightarrow 2\text{Ni} + \text{H}_2\text{O} + \text{CO}_2$	-	
	The crude nickel is further refined by Mo	±	
19(b)	Write two differences between organic		
Ans	Organic Polymers	Inorganic Polymers	
	1)They have C-C linkage in their	1. They are having generally hetero type that	
	backbone-generally homopolymer net work	is metal as the back bone-heteropolymer network.	
	2)They are having high degree of	2)They are having low degree of	
	Polymerization.	Polymerization.	2
	3) These are three dimensional	3) They exit in highly stable Crystalline form	
	polymer may lose their structure on	& maintain regularity even on heating.	
	heating.		
	4) They are less resistant to acid,	4) They are comparatively more	
	Alkalies	Stable & other organic solvents.	
20(a)	What are Ellingham's diagrams? Give	two applications.	
Ans	The series of curves obtained by plotting		
	temperature for the formation of oxides of		
	It is used in		
		the reduction of metal oxide in metallurgical	
	operations, and for the		
	· · · ·	the effective reduction of the metal oxide	
20(b)	Aluminium is used as reducing agent f	or reduction of chromium oxide. Give	

Ans	reasons?	
	Aluminium can reduce chromic oxide. This is because free energy of formation of Al_2O_3 is more negative than that of Cr_2O_3 , therefore Al_2O_3 is a stable oxide than Cr_2O_3 . The plot of Al lies below Cr in the Ellingham diagram, indicating that Al can act as a good reducing agent for Chromicoxide.	
21(a) Ans	 Explain the classification of monohydric alcohols with an example. Based on the hydroxyl group attached to the different types of carbon atom, monohydric alcohols are classified into following types a) Primary (1⁰) alcohols: Those monohydric alcohols in which hydroxyl group attached to the primary carbon atom(carbon atom attached to one alkyl group, two hydrogen atoms and one hydroxyl group or three hydrogen atoms and one hydroxyl group) called primary (1⁰) alcohol. Example: CH₃-OH, C₂H₅-OH b) Secondary (2⁰) alcohols: Those monohydric alcohols in which hydroxyl group attached to the secondary carbon atom (carbon atom attached to two alkyl groups, one hydrogen atom and one hydroxyl group) called secondary (2⁰) alcohol. Example: (CH₃)₂CH-OH, (CH₃CH₂)₂CH-OH c) Tertiary (3⁰) alcohols: Those monohydric alcohols in which hydroxyl group attached to the tertiary carbon atom (carbon atom attached to three alkyl groups and one hydroxyl group) called tertiary (3⁰) alcohol. Example: (CH₃)₃C-OH, (CH₃CH₂)₃C-OH 	2
21(b) Ans	How does periodic acid react with methane thiol? Give equation.Methane thiol undergo oxidation using strong oxidizing agent like periodic acid to formmethane sulphonic acid. H_3C —SH + 3[O]HIO_4CH_3SO_3HMethane thiolMethane suphonic acid	2
22(a) Ans.	What is Lucas reagent? How it is used to distinguish between 1 ⁰ , 2 ⁰ and 3 ⁰ alcohols? Give equations. A solution of anhydrous zinc chloride and concentrated hydrochloric acid is called Lucas	1
	reagent. It is used to distinguish between 1^0 , 2^0 and 3^0 alcohols a) Primary 1⁰ alcohol : When alcohol is treated with Lucas reagent no cloudiness is form at room temperature. This indicates the given alcohol is primary alcohol. R - C - OH + HCI Anhy.ZnCb R - C - OH + HCI Room Temp No reaction (No cloudiness 1^0 alcohol b) Secondary 2⁰ alcohol : When alcohol is treated with Lucas reagent cloudiness is form in 5 - 10 minutes at room temperature. This indicates the given alcohol is secondary alcohol. R - C - OH + HCI Anhy.ZnCl ₂ R - C - OH + HCI Anhy.Z	1
	 R₁ 2⁰ Alkyl halide 2⁰ alcohol (Cloudiness form in 5 -10 minutes) Tertiary 3⁰ alcohol: When alcohol is treated with Lucas reagent cloudiness is form immediately room temperature. This indicates the given alcohol is tertiary alcohol. 	1





25(a)	Explain the manufacture of urea. Mention its uses.	
Ans	Manufacture of urea involved following steps	
	Step 1 : Crude naphtha obtained from oil refineries is subjected to partial combustion in specially designed burners to get a mixture of H_2 and CO. Step 2 : This mixture is made to react with steam in presence of Fe, Cr, Co catalyst.	1
	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	1
	Step 3: CO_2 is separated from H_2 by washing with water under pressure or by treatment with KHCO ₃ .	1
	Step4 : H ₂ is separated from mixture is mixed with Nitrogen and passed over heated Fe ₂ O ₃ with Cr ₂ O ₃ as promoter at 450– 500° C, and 200 atm. Pressure, Ammonia thus formed is mixed with second CO at 200 atm measure when wratches Ammonia the	
	formed is mixed with gaseous CO_2 , at 200atm pressure when unstable Ammonium carbamate is formed. ThisAmmonium carbamate further decomposes to produceUrea.	1
	$2NH_3 + CO_2 \longrightarrow NH_2 COONH_4 \longrightarrow H_2N \longrightarrow COONH_2 + H_2O$	
	It is used as nitrogenous fertilizer	
25(b)	Name any two fertilizer industries in India.	
Ans	1) National fertilizers Ltd. New Delhi.	
	2)Chambal fertilizers & chemicals Ltd(KK Birla) Rajasthan.	2
	3) Rashtriya chemicals &fertilizers Ltd. Mumbai	
	4) Zuari Agro chemicals Ltd, Goa	
	5) Gujarat Narmada Valley fertilizers & chemicals Ltd. Gujarat.	
	6) Deepak fertilizers & petrochemicals corporation Ltd. Pune , Maharashtra.	
	7)Nagarjuna fertilizers and chemicals Ltd. Kakinada, Andhra Pradesh.	
	8) Mangalore chemicals & Fertilizers Ltd. Karnataka.	

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